



COURSE DESCRIPTION CARD - SYLLABUS

Course name

Mathematics 1

Course

Field of study

Automatic Control and Robotics

Area of study (specialization)

Level of study

First-cycle studies

Form of study

full-time

Year/Semester

I/I

Profile of study

general academic

Course offered in

English

Requirements

compulsory

Number of hours

Lecture

60

Laboratory classes

Other (e.g. online)

Tutorials

30

Projects/seminars

Number of credit points

8

Lecturers

Responsible for the course/lecturer:

dr Wiesława Nowakowska

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Responsible for the course/lecturer:

Prerequisites

Basic knowledge of mathematic (high school level).

Course objective

The aim is:

- to acquaint with methods and applications of differential and integral calculus of single and double variable functions
- to introduce the concepts of infinite series and power series
- to teach how to use those concepts, to make proper transformations and to use appropriate mathematical methods and tools to solve typical engineering tasks

Course-related learning outcomes

Knowledge

The student has knowledge of the limit of the sequence, convergence of the series.

The student has knowledge of derivative, methods of solving and its applications.



The student has knowlegde of partial derivatives and how to calculate extrema for functions of two variables.

The student has knowlegde of double integral and methods of calculating it and its applications.

The student has knowlegde of infinite series and power series.

Skills

Is able to obtain information from bibliography, databases and other sources.

Has the ability to self-educate in order to improve and update professional competences.

Can calculate the derivative and find monotonicity, maxima, minima of functions of single variable.

Is able to calculate indefinite and definite integrals, measures of areas, the length of curves, volumes and surface areas of solids of revolution.

Can calculate partial derivatives, extrema for functions of two variables, total differential.

Can calculate double integral.

Is able to expand function into power series and Fourier series.

Social competences

The graduate is ready to critically evaluate his or her knowledge. The graduate understands the need for and knows the possibilities of continuous learning - improving professional, personal and social competences, the graduate is able to inspire and organize the learning process of others.

The graduate is aware of responsibility for own work and willingness to conform to the principles of teamwork.

Methods for verifying learning outcomes and assessment criteria

Learning outcomes presented above are verified as follows:

Lecture: written exam to check theoretical knowledge and the ability of its practical use. Exam consists of 3-5 theoretical questions and 3-5 practical tasks. Point range differs for each task. Exam is passed if student gains 50% of all points.

Tutorials: 2 written tests during the semester. Range of grades:

60% - 3,0

68% - 3,5

76% - 4,0

84% - 4,5

92% - 5,0



Students have an opportunity to gain additional points (10% from the total) for their activity during classes (e.g. giving correct answers to teacher's or colleagues' questions).

Programme content

Lectures and tutorials:

Sequences -monotonocity and limits, limits and continuity of functions. Derivative. Differentiation. Finding maxima, minima and points of inflection of functions. Determining monotonicity and concavity. Indefinite integral – methods of evaluation (integration by parts and by substitution, integration of rational functions). Definite integral. Applications of the definite integral: calculation of measure of areas, the length of curves, volumes and surface areas of solids of revolution. Improper integrals.

Lectures: Differential calculus of functions of several variables. Double integrals and its applications. Infinite series and power series. Fourier series.

Teaching methods

1. Interactive lecture with questions to the group of students which is supported by solving examples on board.
2. Classes during which students solve tasks on board. Teacher's detailed assessment of students' solutions followed by discussion and comments. Revision at home by solving tasks.

Bibliography

Basic

1. B. Sikora, E. Łobos, A first course in calculus, Wydawnictwo Politechniki Śląskiej, Gliwice 2007.
2. B. Sikora, E. Łobos, Advanced calculus : selected topics, Wydawnictwo Politechniki Śląskiej, Gliwice 2009.
3. E. W. Swokowski, Calculus, Brooks/Cole, Boston 1983.
4. D. G. Zill, Calculus with analytic geometry, PWS Publishers, Boston 1985.

Additional

1. E. Łobos, B. Sikora, Calculus and differential equations in exercises, Wydawnictwo Politechniki Śląskiej, Gliwice 2004.
2. W. Trench, "Introduction to Real Analysis" (digitalcommons.trinity.edu/mono/7/)
3. M. Gewert, Z. Skoczylas, Analiza matematyczna 1 i 2, Oficyna Wyd. GiS, Wrocław 2012.



Breakdown of average student's workload

	Hours	ECTS
Total workload	200	8,0
Classes requiring direct contact with the teacher	120	5,0
Student's own work (literature studies, preparation for tutorials, preparation for tests/exam) ¹	80	3

¹ delete or add other activities as appropriate